## Chapter Assessment

## **Physics You Learned**

Consider dividing students into groups and ask them to prepare a collage of important physics concepts and equations to put up on the walls of their classroom. This will provide a visual frame of reference to the physics they have learned. Reviewing a list of physics concepts will help students reinforce what they have learned in Driving the Roads. Initiate a discussion on the concepts by referring to the equations that are listed in the Is There an *Equation?* section of the table. You might want to record points of discussion on the board that you can expand upon from time to time. As students summarize and review what they have learned, you must emphasize that the table of physics concepts serves as their reference for the *Physics Practice Test*.

Physics			
Physics Concepts	Is There an Equation?		
When driving it takes a certain amount of time, called <b>reaction time</b> , to recognize a hazard, decide what to do, and initiate an action such as applying the brakes. During this time, the vehicle is still moving, and the distance traveled is the reaction distance.			
All instruments must be adjusted to read correctly in a process called calibration. This process compares the instrument to a standard to determine its accuracy.			
No measurement is exact (accurate to an infinite number of decimal places). Measurements are often repeated many times to average out uncertainties. Sources of uncertainty include systematic errors due to improper calibration, and random errors.			
Accuracy refers to the ability of measurements to give an average value close to the accepted standard. Precision refers to the ability to repeat a measurement to almost the same value regardless of its accuracy.			
Scientists use the SI system of measurements. Units are related to their sub-units in multiples of ten.			
Average speed is the distance traveled, $\Delta d$ , in a given interval of time, $\Delta t$ . By definition, average speed is distance traveled divided by time taken.	$\nu_{sv} = \frac{\Delta d}{\Delta t}$		
The equation of average speed can be used to find the time needed for an object to travel a certain distance or the distance traveled during a period of time.	$\Delta d = v_{sv} \times \Delta t$ $\Delta t = \frac{\Delta d}{v_{sv}}$		
The slope of a distance vs. time graph at any point is the object's instantaneous speed. If the object is traveling with constant speed, the graph is a straight line with a constant slope. If the graph is not a straight line, the slope may be found by drawing a tangent to the curve at a point.			
When a source of sound is moving toward or away from an observer, the frequency of the sound detected by the observer is shifted. This shift is referred to as the <b>Doppler effect</b> .	$f = \frac{f_0 s}{(s - v)}$		
Acceleration is a change in an object's velocity, $\Delta v$ , with respect to time, $\Delta t$ . By definition, acceleration is the change in an object's velocity divided by the interval of time. Acceleration can be positive or negative.	$a = \frac{\Delta v}{\Delta t}$		
An object's change in velocity with respect to time, or the time that is required for an object to change its velocity, can be found using the definition of acceleration.	$\Delta v = a \times \Delta t$ $\Delta t = \frac{\Delta v}{a}$		
The slope of a velocity vs. time graph at any point is the object's acceleration at that time. If the slope of the velocity vs. time graph is constant, the object is traveling with constant acceleration.			

si	/hen an object is moving, the direction of the movement is as important as the ze (magnitude). Quantities that have both size and direction, such as velocity and	
	cecleration, are vectors. Those that have only size and no direction, such as mass, re known as scalars.	
	he equations of motion can be used to predict whether a vehicle is in the STOP, O, Dilemma, or Overlap Zone when approaching a yellow light.	
Active Physics Plus	The average velocity $(v_{si})$ of a constantly accelerating object is equal to the quantity initial velocity $(v_i)$ plus the final velocity $(v_i)$ divided by 2. The average velocity is the average of the initial and final velocities for an accelerating object.	$\nu_{av} = \frac{\left(\nu_i + \nu_\ell\right)}{2}$
Active Physics Plus	The distance covered by an accelerating object ( <i>d</i> ) is equal to the object's initial velocity $(v_i)$ times the time of travel ( <i>t</i> ) plus one half of the object's acceleration ( <i>a</i> ) times the square of the travel time $(t^2)$ . The distance traveled by an accelerating object depends upon both its initial velocity and its acceleration.	$d = v_1 t + \frac{1}{2}at^2$
	he distance covered by an object that is undergoing uniform, negative acceleration hen coming to rest depends upon the initial velocity squared.	$v_i^2 = 2ad$
ve di	he stopping distance for an automobile (d) is equal to the square of the initial elocity $(v_i)^2$ divided by twice the acceleration provided by the brakes (a). The stance covered by an object that is undergoing uniform, negative acceleration hen coming to rest depends upon the square of the initial velocity.	$d = \frac{v_i^2}{2a}$
Active Physics Plus	The square of the final velocity $(v_i^2)$ of an accelerating object is equal to the square of the initial velocity $(v_i^2)$ plus twice the acceleration times distance traveled while accelerating. When an object accelerates, the final velocity of the object depends upon the initial velocity, the object's acceleration, and the distance traveled during the acceleration.	$v_i^2 = v_i^2 + 2ad$
di	/hen an automobile goes around a curve, a centripetal force is needed to cause the irection of the automobile to change so that it can make the turn safely. The force is irected toward the center of the circle.	
Active Physics Plus	The centripetal acceleration $(a_c)$ of an object traveling in a circle at constant speed equals the square of the object's speed $(v^2)$ divided by the radius of the circle $(r)$ .	$a_c = \frac{v^2}{r}$
Active Physics Plus	The centripetal force $(F_c)$ on an object traveling in a circular path with constant speed equals the mass of the object $(m)$ multiplied by the square of the object's speed $(v^2)$ divided by the radius $(r)$ of the circle.	$F_c = \frac{m\nu^2}{r}$